

Selection of variables in initialization of Modelica models

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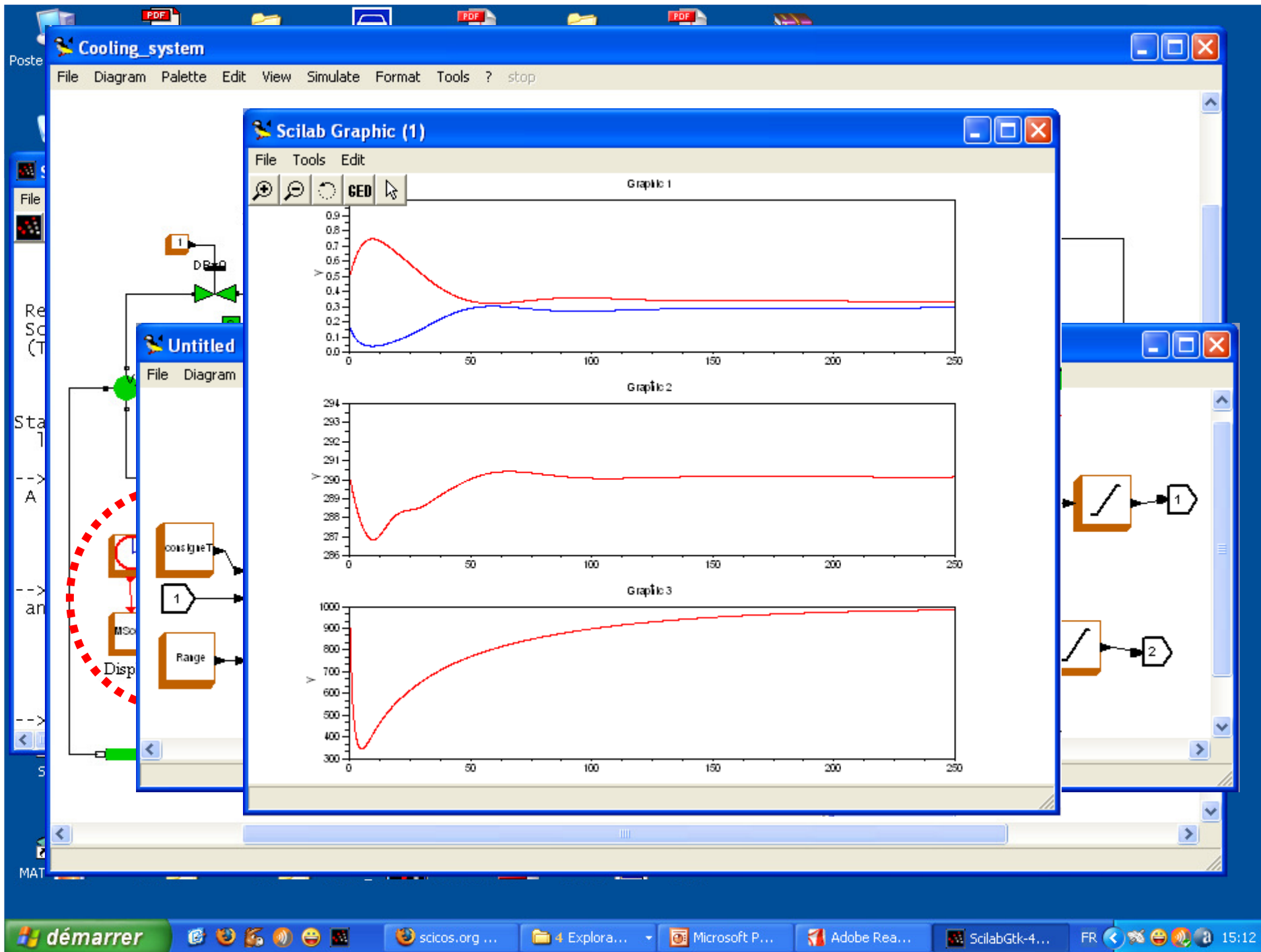
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Outline

- The Modelica language in Scicos
- Initialization of Modelica models
- Model diagnostic feature
- Selection of variables

Modelica in Scicos

- Scicos is originally a simulator based on causal systems modeling, i.e., blocks with explicit inputs and outputs
- Current version of Scicos supports the Modelica language
 - Allowing acausal modeling (component based modeling)
 - Using a free and open-source Modelica compiler
 - Supporting hierarchical models
 - Supporting most essential continuous-time features (index-1 DAE)
 - A minimum support for discrete-event models

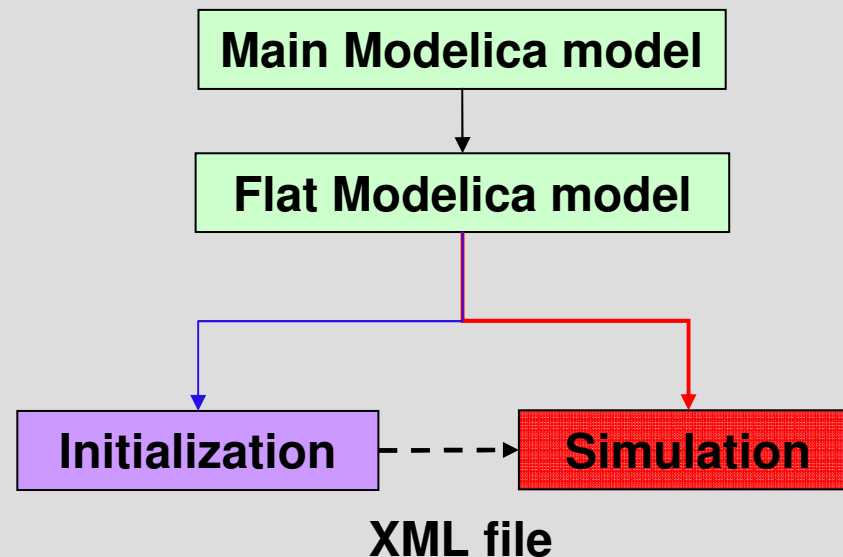


Initialization in Modelica

- Compilation of a component based model very often ends up to the simulation of a DAE.
- Simulation of a DAE needs consistent initial conditions.
- Model initialization in Modelica:
 - “*start*” value (*initial-value/guess-value*)
 - “*fixed*” attribute (*true/false*)
 - “initial equation” section
- An initialization equation should be obtained:
 - Original **DAE**: $F(dx/dt,x,y,u,t)=0$
 - Obtained **algebraic equation**: $G(xd,x,y,u,t_0)=0$

Simulation of Modelica models in Scicos

- The complete simulation is done in two stages:
 - Initialization, parameter sizing, inverse model
 - Simulation
- Initial values are computed and saved in an **XML file**
- A GUI as assistance in the model initialization



Scicos Modelica initialization window (1)



File Help

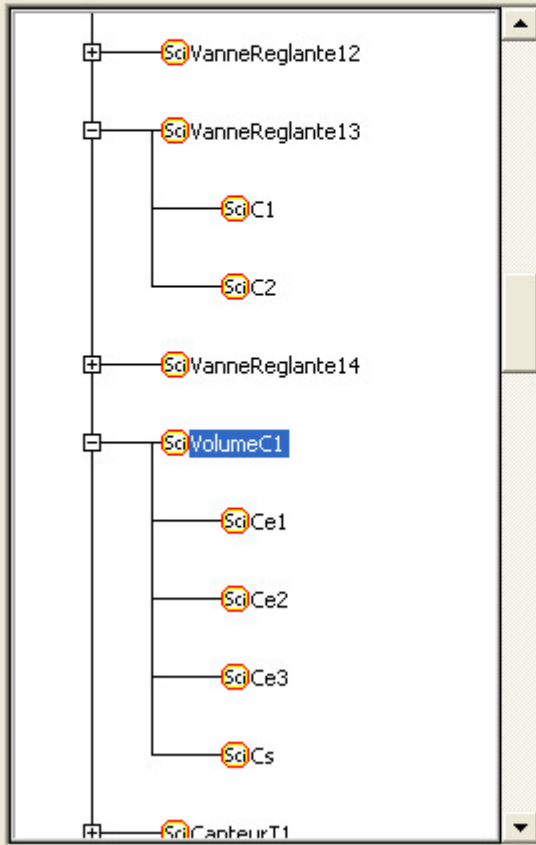
Normal
 Selected
 Selected (all)
 Changed (all)
 Search:

Method:

 Residual error:

Equation=1313 Unknown=1313 Fixed Par=276 Free Par=0 Fixed Var=0 Free Var=1313 Discrete=4 Input=12

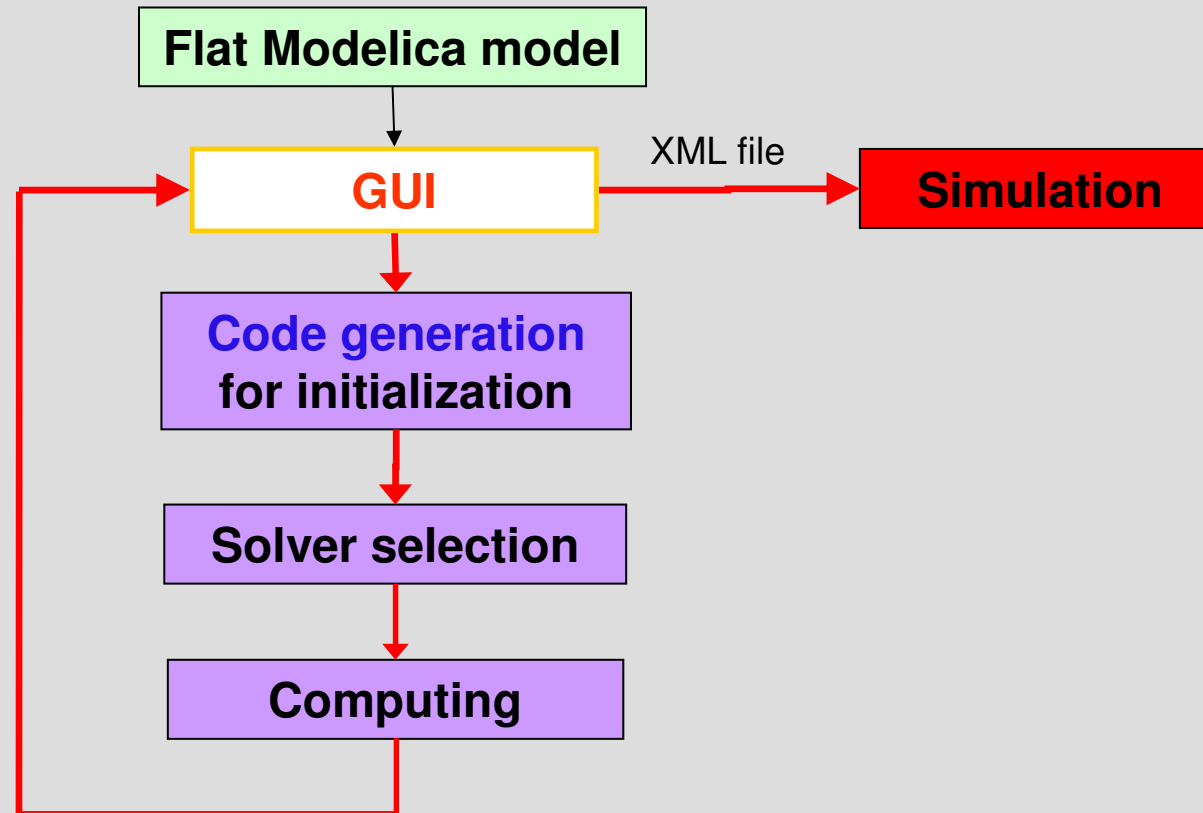
Model tree



Variables & parameters attributes

Name	Type	Fixed	Value	Weight	Max	Min	Nominal	Comment	Selection
region	Var	false	1	0			1	Numéro de r	y
BH	Var	false	0.0	0			1	Bilan d&aposn	
BQ	Var	false	0.0	0			1	Bilan de masn	
rho	Var	false	998	0			1	Masse volumy	
Hm	Var	false	70773.8	0			1	Enthalpie sp	y
Pm	Var	false	51218.6	0			1	Pression mo	y
Tm	Var	false	290	0			1	Températur	y

Initialization flowchart (simplified)



GUI for user assistance

- Solving the initialization equation of medium size engineering models is not easy even for index-1 DAEs.
- GUI can help as a diagnostic tool.
- The **structure matrix** is a rich information source.
- Modeling diagnostics implemented in GUI:
 - 1) Fixing and relaxing variables/parameters of the model
 - 2) Influencing the Modelica compiler for code generation

Closing the degree of the freedom

- The initialization equation may be **under-determined**.
- In the GUI, the user can **fix** or **relax** variables/parameters.
- Verifying if a variable/parameter can be fixed or not.
- If the model becomes Over/Under-determined:
 - If O.D., which variables/parameter should be relaxed?
 - If U.D., which variables/parameter should be fixed?

Implementation in Scicos

- Constructing an undirected bipartite graph, e.g.,

$$f1(x,y)=0$$

$$f2(x)=0$$

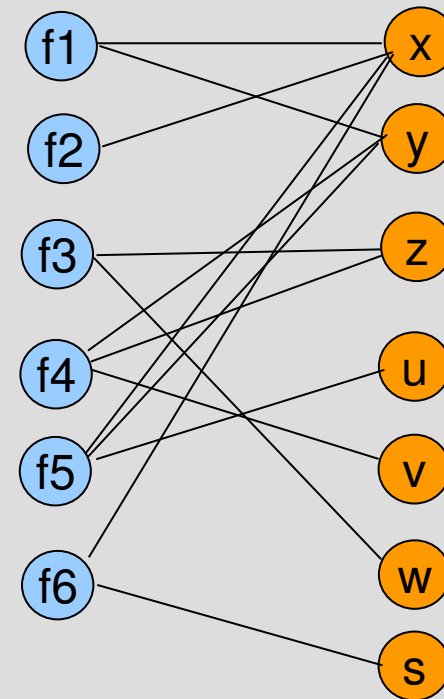
$$f3(z,w)=0$$

$$f4(y,z,v)=0$$

$$f5(x,y,u)=0$$

$$f6(x,s)=0$$

$$\begin{bmatrix} 1 & 1 & 0 & 0 & 0 & 0 & 0 \\ 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 1 & 0 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 0 & 0 \\ 1 & 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}$$



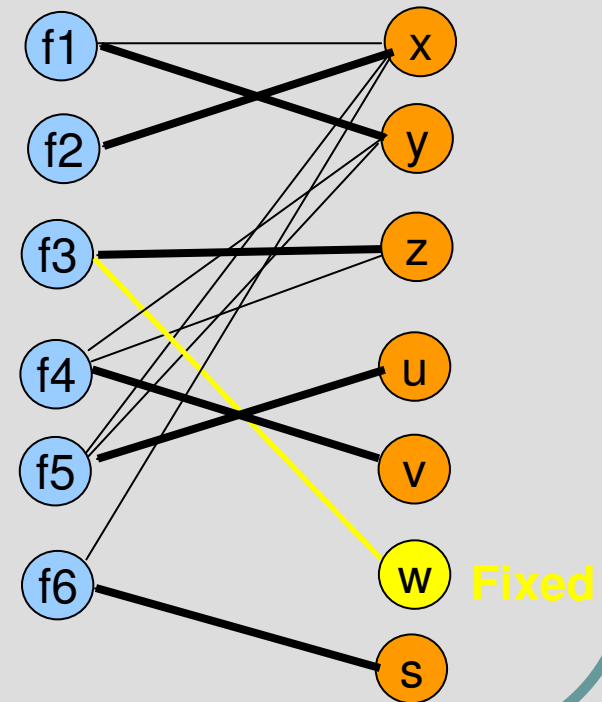
Implementation in Scicos

- Whenever the user tries to fix a variable:
 - Computing the new rank of the structure matrix using the **maximum matching** method.

$f_1(x,y)=0$
 $f_2(x)=0$
 $f_3(z,w)=0$
 $f_4(y,z,v)=0$
 $f_5(x,y,u)=0$
 $f_6(x,s)=0$

Perfect matching

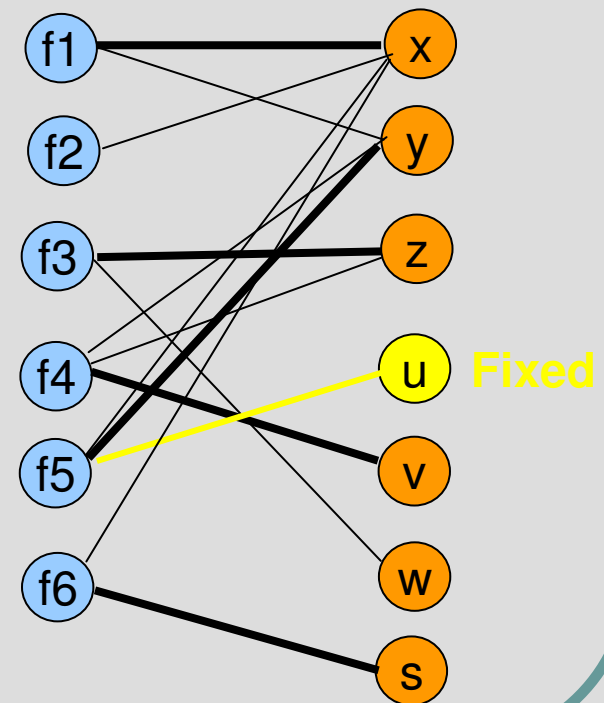
\Rightarrow *operation allowed*



Implementation in Scicos

- Whenever the user tries to fix a variable:
 - Computing the new rank of the structure matrix using the **maximum matching** method.

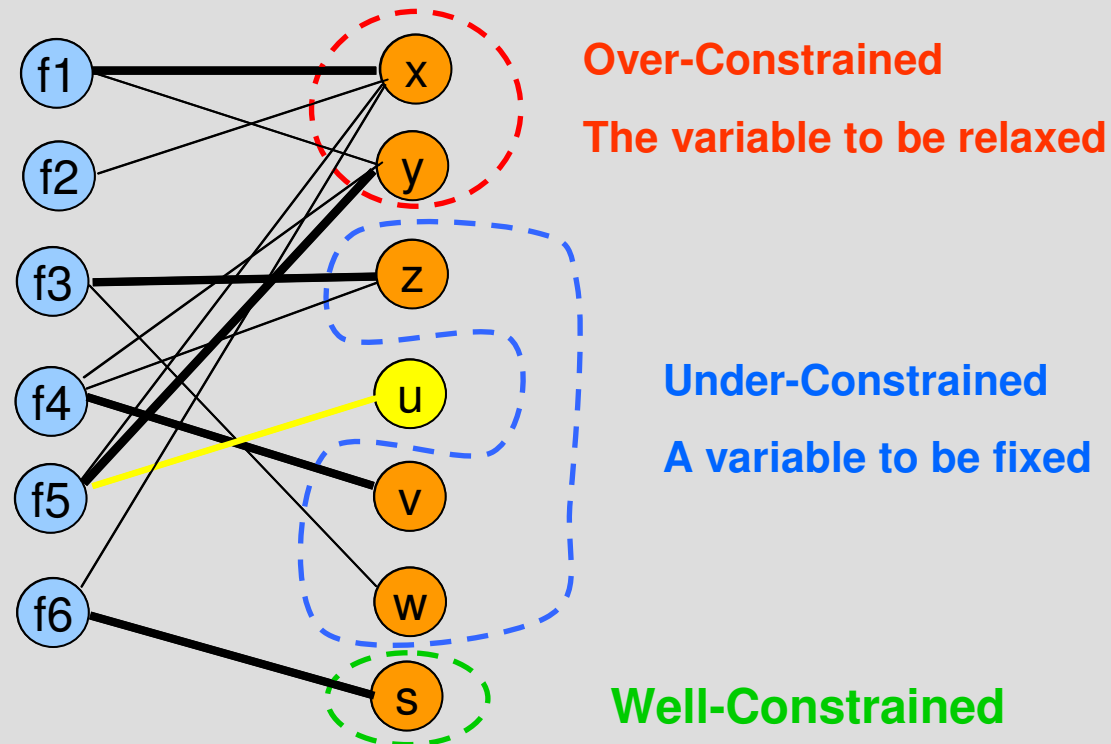
$f_1(x,y)=0$
 $f_2(x)=0$
 $f_3(z,w)=0$
 $f_4(y,z,v)=0$
 $f_5(x,y,u)=0$
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Implementation in Scicos

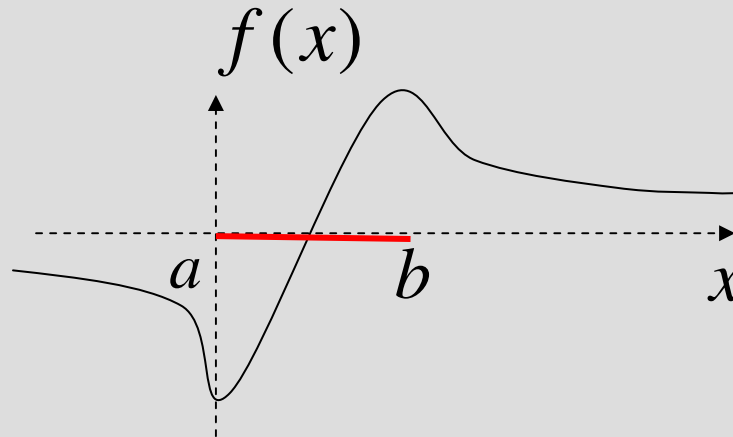
- Whenever the user tries to fix a variable:
 - If rank deficient, using the [Dulmage-Mendelsohn](#) algorithm partition the matrix into under/over-constrained parts.

$f_1(x,y)=0$
 $f_2(x)=0$
 $f_3(z,w)=0$
 $f_4(y,z,v)=0$
 $f_5(x,y,u)=0$
 $f_6(x,s)=0$



Helping the solver to converge

- Once a well-constrained algebraic equation obtained, it should be solved.
- The algebraic equation is very often nonlinear and huge, even for medium size models.
- Newton-based solvers need **good guess values** of the variables to converge to a solution, e.g.,



Guess values

- **Guess values** are provided via the “**start**” attribute in Modelica.
- If not specified, they are set to zero automatically.
- It is unreasonable to ask the user to provide all guess values.
- Many variables are tightly related, e.g.,

$$\begin{cases} 0 = f(x) \\ ay + bx = c \end{cases} \begin{matrix} \nearrow \\ \searrow \end{matrix} \begin{matrix} 0 = \bar{f}(x) & \text{KO} \\ 0 = \bar{f}(y) & \text{OK} \end{matrix}$$

$y(\text{start} = y_0)$

- In order to facilitate the solver’s task, the model is simplified.
- The choice of variables to be kept in the final model is important.
- GUI helps to get rid of “*variables without guess-values*”
 - “**Marking**” the variables with known guess-values in GUI
 - The Modelica compiler tries to keep marked variables.

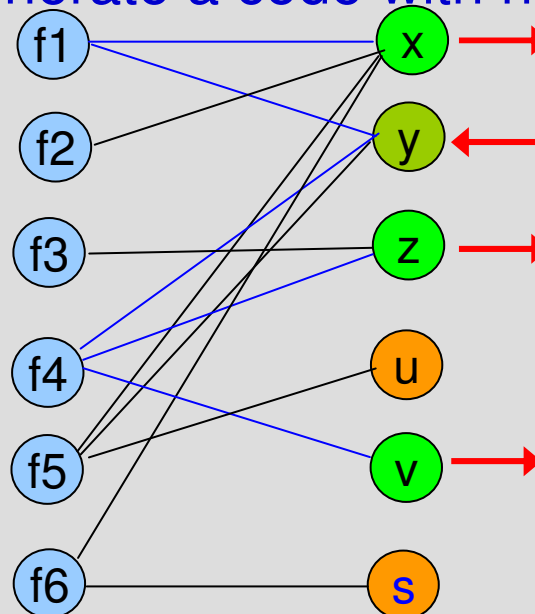
Guess values

- Problem:
 - Some unmarked variables may remain in the simplified code.
 - Remaining unmarked variables may not be familiar to the user.
- Solution:
 - The GUI proposes the alternatives to remaining unmarked variables.
 - Using the same bipartite graph and the **Ford-Fulkerson** algorithm.

Guess values

- E.g., **x**, **z**, **v** are alternative variables to **y**.
- The user can give the guess value of a familiar alternative and marks it.
- The compiler tries to generate a code with new marked variables.

$f_1(x,y)=0$
 $f_2(x)=0$
 $f_3(z)=0$
 $f_4(y,z,v)=0$
 $f_5(x,y,u)=0$
 $f_6(x,s)=0$



Conclusion

- A specialized GUI for the initialization of Modelica Models.
- GUI as a user assistance for model diagnostics.
- Finding under/over-determined part of the model.
- Influencing the Modelica compiler to select “marked” variables
- Proposing alternatives variables for unmarked remaining variables after the model simplification

Questions...

Thank you